

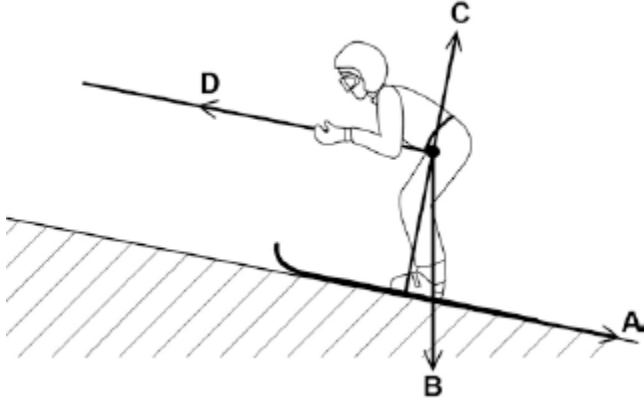
1

Figure 1 shows a skier using a drag lift.

The drag lift pulls the skier from the bottom to the top of a ski slope.

The arrows, **A**, **B**, **C** and **D** represent the forces acting on the skier and her skis.

Figure 1



(a) Which arrow represents the force pulling the skier up the slope?

Tick **one** box.

A

B

C

D

(1)

(b) Which arrow represents the normal contact force?

Tick **one** box.

A

B

C

D

(1)

(c) The drag lift pulls the skier with a constant resultant force of 300N for a distance of 45 m.

Use the following equation to calculate the work done to pull the skier up the slope.

$$\text{work done} = \text{force} \times \text{distance}$$

.....
.....

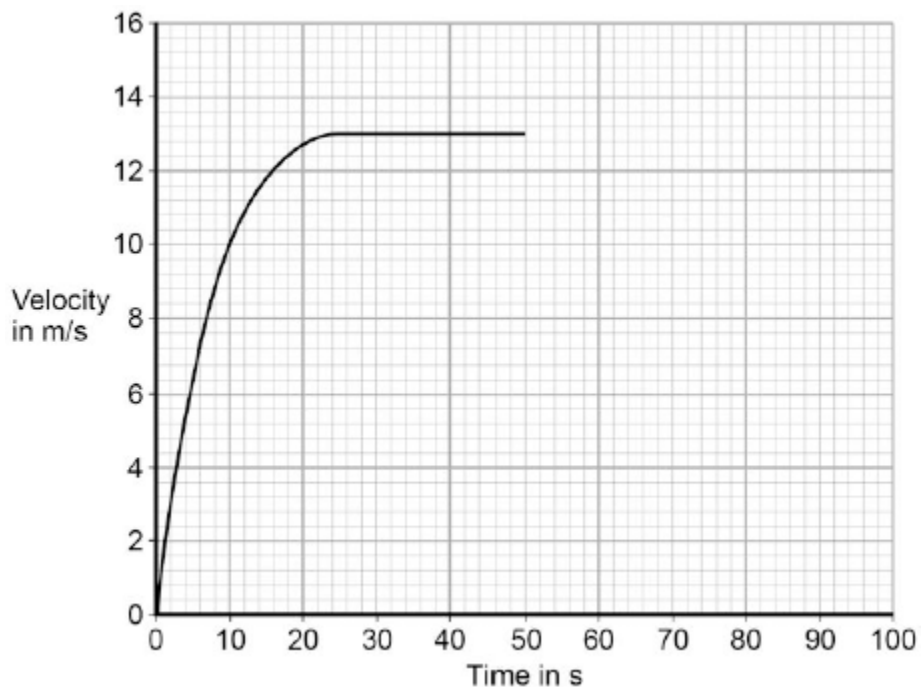
$$\text{Work done} = \dots\dots\dots \text{ J}$$

(2)

(d) At the top of the slope the skier leaves the drag lift and skis back to the bottom of the slope.

Figure 2 shows how the velocity of the skier changes with time as the skier moves down the slope.

Figure 2



After 50 seconds the skier starts to slow down.

The skier decelerates at a constant rate coming to a stop in 15 seconds.

Draw a line on **Figure 2** to show the change in velocity of the skier as she slows down and comes to a stop.

(2)
(Total 6 marks)

2

The stopping distance of a car is the sum of the thinking distance and the braking distance.

The table below shows how the thinking distance and braking distance vary with speed.

Speed in m / s	Thinking distance in m	Braking distance in m
10	6	6.0
15	9	13.5
20	12	24.0
25	15	37.5
30	18	54.0

(a) What is meant by the braking distance of a vehicle?

.....
.....

(1)

(b) The data in the table above refers to a car in good mechanical condition driven by an alert driver.

Explain why the stopping distance of the car increases if the driver is very tired.

.....
.....
.....
.....

(2)

(c) A student looks at the data in the table above and writes the following:

thinking distance \propto speed

thinking distance \propto speed

Explain whether the student is correct.

.....

.....

.....

.....

(2)

(d) Applying the brakes with too much force can cause a car to skid.

The distance a car skids before stopping depends on the friction between the road surface and the car tyres and also the speed of the car.

Friction can be investigated by pulling a device called a 'sled' across a surface at constant speed.

The figure below shows a sled being pulled correctly and incorrectly across a surface.

The constant of friction for the surface is calculated from the value of the force pulling the sled and the weight of the sled.



Why is it important that the sled is pulled at a constant speed?

Tick **one** box.

If the sled accelerates it will be difficult to control.

If the sled accelerates the value for the constant of friction will be wrong.

If the sled accelerates the normal contact force will change.

(1)

- (e) If the sled is pulled at an angle to the surface the value calculated for the constant of friction would not be appropriate.

Explain why.

.....
.....
.....
.....

(2)

- (f) By measuring the length of the skid marks, an accident investigator determines that the distance a car travelled between the brakes being applied and stopping was 22 m.

The investigator used a sled to determine the friction. The investigator then calculated that the car decelerated at 7.2 m / s^2 .

Calculate the speed of the car just before the brakes were applied.

Give your answer to two significant figures.

Use the correct equation from the Physics Equation Sheet.

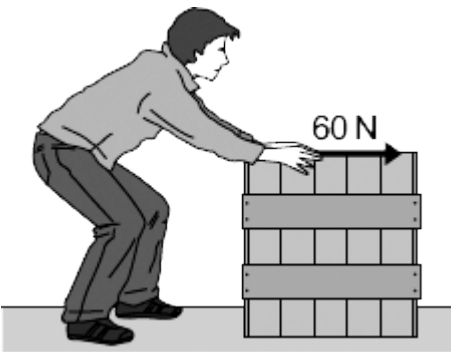
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Speed = m / s

(3)
(Total 11 marks)

3

The diagram shows a worker using a constant force of 60 N to push a crate across the floor.



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(a) The crate moves at a constant speed in a straight line

(i) Draw an arrow on the diagram to show the direction of the friction force acting on the moving crate.

(1)

(ii) State the size of the friction force acting on the moving crate.

..... N

Give the reason for your answer.

.....
.....

(2)

(b) Calculate the work done by the worker to push the crate 28 metres.

Show clearly how you work out your answer and give the unit.

Choose the unit from the list below.

- joule**
- newton**
- watt**

.....
.....

Work done =

(3)
(Total 6 marks)

Mark schemes

1	(a) D	1
	(b) C	1
	(c) $W = 300 \times 45$	1
	$W = 13\,500$	1
	<i>allow 13 500 with no working shown for 2 marks</i>	
2	(d) straight line drawn from 13 m / s to 0 m / s finishing on x-axis at 65 s	1
		1
		1
		1
		[6]
2	(a) the distance travelled under the braking force	1
	(b) the reaction time will increase	1
	increasing the thinking distance (and so increasing stopping distance) <i>(increases stopping distance is insufficient)</i>	1
	(c) No, because although when the speed increases the thinking distance increases by the same factor the braking distance does not.	1
	eg increasing from 10 m / s to 20 m / s increases thinking distance from 6 m to 12 m but the braking distance increases from 6 m to 24 m	1
	(d) If the sled accelerates the value for the constant of friction will be wrong.	1
	(e) only a (the horizontal) component of the force would be pulling the sled forward	1
	the vertical component of the force (effectively) lifts the sled reducing the force of the surface on the sled	1
	(f) $-u^2 = 2 \times -7.2 \times 22$ <i>award this mark even with 0^2 and / or the negative sign missing</i>	1

$u = 17.7(99)$

1

18

1

allow 18 with no working shown for 3 marks

allow 17.7(99) then incorrectly rounded to 17 for 2 marks

[11]

3

(a) (i) horizontal arrow pointing to the left

judge by eye

drawn anywhere on the diagram

1

(ii) 60 (N)

1

(at steady speed) resultant force must be zero

accept forces must balance/are equal

accept no acceleration

do not accept constant speed

1

(b) 1680

allow 1 mark for correct substitution, ie 60 x 28 provided no subsequent step shown

2

joule

accept J

do not accept j

1

[6]