Oxford Cambridge and RSA

## Practice

A GCE Physics B H557/01
Paper 1 Fundamentals of Physics

MARK SCHEME

Duration: 2 hours 15 minutes

MAXIMUM MARK 110

## FINAL

This document consists of 15 pages

Section A: MCQs


## Section B

| Question |  |  | Answer | Marks | Guidance |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 31 | (a) |  | $\begin{aligned} & r_{\text {internal }}=\{\varepsilon-V\} / I \quad \text { or e.g. }=\{0.8-0.4\} / 0.25 \times 10^{-3} \checkmark \\ & =1600(\Omega) \end{aligned}$ | $1$ <br> 1 | method read from graph intercept and another point evaluation |
| 31 | (b) | (i) | proportional graph through e.g. (0.10 mA, 1.0 V) | 1 |  |
|  | (b) | (ii) | current $=$ intercept $=0.07(\mathrm{~mA})$ <br> $R$ is across cell so shares same p.d. and current | $1$ $1$ | read from graph <br> explanation <br> accept by calculation $=0.80 / 11600=0.069(\mathrm{~mA})$ |
|  |  |  | Total | 5 |  |


| Question |  | Answer | Marks |  |  |
| :--- | :--- | :--- | :--- | :---: | :---: |
| $\mathbf{3 2}$ | (a) | contrast stretch / improvement / <br> the raw image only uses a limited range of 140/1 pixel <br> values, these are shifted and stretched to use all 255/6 <br> levels of the greyscale | $\mathbf{1}$ | $\mathbf{1}$ |  |
| $\mathbf{3 2}$ | (b) | (255) / (140) | $\checkmark$ | $\mathbf{1}$ | accept (255)/(175-35) |
|  |  | Total | $\mathbf{3}$ |  |  |


| Question |  | Answer | Marks | Guidance |
| :--- | :--- | :--- | :--- | :---: | :--- |
| $\mathbf{3 3}$ | (a) | polarisation | $\mathbf{1}$ | accept oscillations at 90 to direction of propagation if stated <br> that aerial points at transmitter (when rotated) |
| $\mathbf{3 3}$ | (b) | ( signal ) increases / returns to original intensity <br> receiving aerial is parallel to direction of oscillation again <br> $/$aerial is back in plane of polarisation | $\mathbf{1}$ | AW |


| Question |  | Answer | Marks | Guidance |
| :---: | :---: | :---: | :---: | :---: |
| 34 | (a) | energy $=$ area under $Q \propto V$ graph is $\Delta$ area $1 / 2 Q V$ or $\Delta E=Q \Delta V$ and $E=\Sigma Q \Delta V=1 / 2 Q V$ | $1$ | accept not all $Q$ can be taken at the max p.d. as $V$ falls as $\Delta Q$ is removed $1 / 2 V$ s average p.d. <br> or $E=Q \times V_{\text {mean }}=1 / 2 Q V$ |
| 34 | (b) | $\begin{aligned} V & =\sqrt{\{(2 \times E) / C\}} \text { or } \sqrt{ }\left\{(2 \times 200) / 500 \times 10^{-6}\right\} \\ & =890(\mathrm{~V}) \end{aligned}$ | $\begin{aligned} & 1 \\ & 1 \end{aligned}$ | method in rearranged algebra or numbers evaluation accept $894(\mathrm{~V})$ |
|  |  | Total | 3 |  |


| Question |  | Answer |  | Marks | Guidance |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 35 | (a) | $\begin{aligned} \theta & =\sin ^{-1}(2 / 6) \\ & =19^{\circ} \end{aligned}$ | $\checkmark$ $\checkmark$ | $1$ <br> 1 | method accept correctly labelled vector $\Delta$ evaluation accept $19.4(7)^{\circ}$ or $19.5^{\circ}$ not $20^{\circ}$ RE (rounding error) |
| 35 | (b) | $\begin{aligned} & =6 \times \cos \left(19.5^{\circ}\right)=5.7\left(\mathrm{~m} \mathrm{~s}^{-1}\right) \\ & \text { or }=\sqrt{ }\left(6^{2}-2^{2}\right)=5.7\left(\mathrm{~m} \mathrm{~s}^{-1}\right) \end{aligned}$ | $\checkmark$ | $1$ | evaluation accept by components or Pythagoras <br> allow ecf on $\cos \theta$ from (a) <br> accept if scaled vector $\Delta$ answers in range 5.5 to $5.9\left(\mathrm{~m} \mathrm{~s}^{-1}\right)$ |
|  |  | Total |  | 3 |  |


| Question |  |  | Answer | Marks | Guidance |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 36 | (a) |  | 4 light $-\mu \mathrm{s}=4 \times 10^{-6} \times 3 \times 10^{8}=1200(\mathrm{~m}) \quad \checkmark$ | 1 |  |
| 36 | (b) | (i) | e-m radiation pulses travel 1 light- $\mu \mathrm{s}$ in $1 \mu \mathrm{~s}\left(\mathrm{so} 45^{\circ} \Delta\right) \quad \checkmark$ | 1 |  |
| 36 | (b) | (ii) | $\begin{aligned} & \text { e.g. } \tan \theta=4 \text { light }-\mu \mathrm{s} / 6 \mu \mathrm{~s} \\ & =4 \mathrm{c} / 6={ }^{2} / 3 \mathrm{c}=2.0 \times 10^{8}\left(\mathrm{~m} \mathrm{~s}^{-1}\right) \end{aligned}$ | $\begin{aligned} & 1 \\ & 1 \end{aligned}$ | accept $2 / 3 \mathrm{c}$ for the mark |
| 36 | (c) |  | all pulses out and return at $45^{\circ}$ angles on each figure | $2$ | accept judged by eye |
|  |  |  | Total <br> Total section B | $\begin{gathered} \hline 6 \\ 23 \\ \hline \end{gathered}$ |  |

Section C

| Question |  |  | Answer | Marks | Guidance |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 37 | (a) | (i) | $\Delta v=g \Delta t$ this only recognises gravitational acceleration there is no term involving the force of drag and the acceleration it would produce | 1 | accept the only acceleration is due to gravity |
| 37 | (a) | (ii) | iterative model assumes $v_{y}$ remains constant during $\Delta t$ instead of continuously changing, so $y$ values are always bigger than reality | $1$ | not just $v_{y}$ or $y$ overshoots |
| 37 | (a) | (iii) | by making $\Delta t$ smaller and doing more iterations per time interval we can make the process as $\checkmark$ |  |  |
| 37 | (a) | (iv) | $v_{x}$ really is constant (ignoring air resistance) so no $\approx$ or approximation is involved | $1$ | accept there is no horizontal acceleration / force acting |
| 37 | (b) |  | $\mathrm{y} / \mathrm{m}$ analytic <br> 1 0.8 <br> 1 0.75 | 2 | one mark for each correct column |
| 37 | (c) | (i) |  | 2 | one mark for each correct graph with points allow small plotting errors or small calculation errors ecf (b) |


| Question |  |  | Answer | Marks | Guidance |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 37 | (c) | (ii) | general shape is parabolic / both have same $x$ values at same times <br> iteration reaches higher $y$-value / peaks later in time / analytical reaches larger downward velocity | $1$ <br> 1 | similarity accept any sensible answer not start at same angle of projection <br> difference accept any sensible answer not iteration reaches further |
| 37 | (d) |  | not every problem has an analytical solution / but many can be modelled by iteration and predictions can be made approximations or models can be improved in the light of more real world data | $\begin{aligned} & 1 \\ & 1 \end{aligned}$ | accept any two sensible points |
|  |  |  | Total | 12 |  |


| Question |  |  | Answer | Marks | Guidance |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 38 | (a) | (i) | (wave) superposition <br> (when waves from two or more sources overlap), the resultant displacement (at a given instant and position) is equal to the sum of the individual displacements | 1 1 | accept (wave) interference accept when a wave crest/trough meets another wave crest/trough a large crest/trough forms called constructive interference and If a wave crest meets a wave trough, the waves cancel each other out momentarily called destructive interference. accept labelled diagrams |
| 38 | (a) | (ii) | diffraction by single slit with ripple tank / light / $\mu$-waves can show circular / sideways spreading of wave energy |  | accept spreading of waves through a slit occurs at any point along an interrupted wavefront as if circular spreading was occurring from all points on the wavefront |
| 38 | (a) | (iii) | wavelets spread on circular arcs of fixed radius = c $\Delta t$ |  |  |
| 38 | (b) | (i) | wavefronts of wavelets line up along BB' with waves from successive slits being delayed by one cycle / one $\lambda$ |  | not just wavelets line up |
| 38 | (b) | (ii) | Level 3 (5-6 marks) <br> Marshals argument in a clear manner and includes clear explanation of three strands: <br> - using grating equation for spectral orders <br> - explain grating using wave ideas <br> - explain grating using phasor ideas <br> There is a well-developed line of reasoning which is clear and logically structured. The information presented is relevant and substantiated. | 6 | Indicative scientific points may include: <br> Grating equation for spectral orders <br> - recognising that $n=1$ is first order at $\theta_{1}$ or that $n=2$ is second order at $\theta_{2}$ <br> - use of $\sin \theta=n \lambda / d$ with $n=1 \Rightarrow \theta_{1}=23.6^{\circ}$ or use of $\sin \theta=n \lambda / d$ with $n=2 \Rightarrow \theta_{2}=53.1^{\circ}$ ORA <br> Explain grating using wave ideas <br> - path difference between consecutive slits $=d \sin \theta$ <br> - if path difference is an integer number of $\lambda s$ then waves at angle $\theta$ are in phase and will constructively interfere to give a high intensity at that angle or <br> - if path difference is an odd number of $1 / 2 \lambda s$ then waves at angle $\theta$ are in antiphase and will destructively interfere to give a zero intensity at that |



| Question |  |  | Answer | Marks | Guidance |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 39 | (a) | (i) | 1.89 or 1.9 <br> 3.70 or 3.7 <br> 5.38 or 5.4 <br> 6.67 or 6.7 | 1 <br> 1 <br> 1 <br> 1 | G / mS values in table allow 2 or 3 S.F. <br> G values plotted correctly allow ecf on wrong values best fit line must show proportionality for mark |
| 39 | (a) | (ii) | $R$ vs Intensity both variables change over about 2 orders of magnitude / by about x 100 / graph is highly curved <br> both graphs give linear best fit graph / test a functional relationship <br> straight $\log / \log$ graph shows a power law $R \propto I^{n}$ (gradient $=n \approx-1$ ) |  | accept $\log / \log$ graphs compress large ranges of data <br> accept straight line graphs are only function that can be judged by eye <br> accept $R \propto 1 / I^{n}(n \approx 1)$ or $G \propto I$ |
| 39 | (a) | (ii) | photons give energy to electrons and free them into the conduction band <br> $G \propto$ carrier density and $G \propto I$ so expect $I \propto$ carrier density (provided electrons drop back into bonds / recombine with holes) | $1$ | reason <br> evaluation |
| 39 | (b) | (i) | threshold $\lambda$ above which process of freeing electrons does not occur <br> or <br> threshold $f$ or $E$ below which electrons are not freed from bonds | 1 |  |
| 39 | (b) | (ii) | $\begin{aligned} & E=h c / \lambda=6.6 \times 10^{-34} \times 3 \times 10^{8} / 770 \times 10^{-9} \\ & =2.6 \times 10^{-19}(\mathrm{~J}) \end{aligned}$ | $\begin{aligned} & 1 \\ & 1 \\ & \hline \end{aligned}$ | must have threshold $\lambda$ not peak $\lambda$ |


| Question |  |  | Answer | Marks | Guidance |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 39 | (c) |  | $\begin{aligned} & V=6 \times R /\left(R+R_{\mathrm{LDR}}\right) \text { or } 6 \times 470 /(470+270) \\ & =3.8(\mathrm{~V}) \end{aligned}$ | 1 <br> 1 | method <br> evaluation |
|  |  |  | Total | 14 |  |


| Question |  |  | Answer | Marks | Guidance |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 40 | (a) | (i) | gravitational force is always attractive so potential energy per kg increases as body is lifted above the Earth's surface, towards zero at $\infty$ by convention | 1 | accept arbitrary zero of potential is at $\infty$ separation, so as bodies approach, potential energy decreases below zero hence negative |
| 40 | (a) | (ii) | to launch $1 / 2 v^{2}=62 \times 10^{6} \mathrm{Jkg}^{-1} \quad$ or $v=\sqrt{ }\left(124 \times 10^{6}\right)$ $v=1.1(1) \times 10^{4}\left(\mathrm{~m} \mathrm{~s}^{-1}\right)$ | $1$ <br> 1 | method accept energy per kg or for mass $m$ which cancels in words / algebra / numbers evaluation |
| 40 | (b) | (i) | $\begin{aligned} & \text { (k.e. lost }=\text { p.e. gained) } \Rightarrow \\ & 1 / 2 m v^{2}=G M m / r \Rightarrow v=\sqrt{ }(2 G M / r) \end{aligned}$ <br> where $M$ is mass of spherical body of radius $r$ that you are trying to escape and $G$ is the gravitational constant | $1$ $1$ |  |
| 40 | (b) | (ii) | $v=\sqrt{ }\left(2 G\left\{{ }^{4} / 3 \pi R^{3} \rho\right\} / R \Rightarrow v=\sqrt{ }\left({ }^{8} / 3 G \pi \rho\right) R\right.$ | 1 | algebraic reasoning accept $M={ }^{4} / 3 \pi R^{3} \rho$ |
| 40 | (b) | (iii) | $\begin{aligned} & R=\sqrt{ }(3 / 8 G \pi \rho) c \\ & =\sqrt{ }\left(3 /\left(8 \times 6.7 \times 10^{-11} \times \pi \times 10^{17}\right) \times 3 \times 10^{8}\right. \\ & =4.0 \times 10^{4}(\mathrm{~m}) \end{aligned}$ | $\begin{aligned} & 1 \\ & 1 \end{aligned}$ | method change subject of equation and sub for $c$ in algebra / numbers evaluation |
|  |  |  | Total | 9 |  |


| Question |  | Answer | Marks | Guidance |
| :---: | :---: | :---: | :---: | :---: |
| 41 | (a) | Level 3 (5-6 marks) <br> Marshals argument in a clear manner and includes clear explanation of three strands: <br> - change in mass <br> - binding energy equivalent <br> - forces and momentum <br> There is a well-developed line of reasoning which is clear and logically structured. The information presented is relevant and substantiated. <br> Level 2 (3-4 marks) <br> Shows clear understanding of at least two of the three strands above to the argument or <br> covers all three at a superficial manner and does not include enough indicative points for level 3. <br> There is a line of reasoning presented with some structure. The information presented is in the most-part relevant and supported by some evidence. <br> Level 1 (1-2 marks) <br> Makes at least two independent points that are relevant to the argument but does not link them together and shows only superficial engagement with the argument. <br> The information is basic and communicated in an unstructured way. The information is supported by limited evidence and the relationship to the evidence may not be clear. | 6 | Indicative scientific points may include: <br> Change in mass <br> - protons and neutrons in a nucleus are bound by the strong nuclear force, which is a short-range attractive force sufficient to overcome the electrostatic repulsion between the protons in a nucleus. <br> - For a nucleus with $Z$ protons and $N$ neutrons $\Delta m=$ mass of nucleus $-\left(Z m_{\mathrm{p}}+N m_{\mathrm{n}}\right) \quad$ OR change in mass $=221.9703-(217.9628+4.0015)$ $=0.0060(\mathrm{u})$ <br> Binding energy equivalent <br> - to pull nuclei apart requires energy called the binding energy of the nucleus <br> binding energy of a nucleus can be calculated from the difference in mass between the nucleus and its separate neutrons and protons binding energy $=\Delta m c^{2}$ <br> - rest energy of the nucleus is less than that of its constituent particles. Since the rest energy $E_{\text {rest }}=m c^{2}$, the mass of the nucleus is also less than that of its constituent particles. <br> - $\Delta E=\Delta m c^{2}=0.0060 \times 1.661 \times 10^{-27} \times\left(3.00 \times 10^{8}\right)^{2}$ $=8.969 \times 10^{-13}(\mathrm{~J})$ $=8.969 \times 10^{-13} /\left(1.6 \times 10^{-19} \times 10^{6}\right)=5.61(\mathrm{MeV})$ <br> - OR accept knowledge of $1 \mathrm{u}=931 \mathrm{MeV}$ |


| Question |  |  | Answer | Marks | Guidance |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | 0 marks <br> No response or no response worthy of credit |  | - during emission $\alpha$ and remnant nucleus repel with equal and opposite electrostatic forces (for equal times) or $F=k Q_{1} Q_{2} / r^{2}$ <br> - by Newton's $3^{\text {rd }}$ Law nucleus recoils <br> - so impulses are equal and opposite on $\alpha$ and nucleus <br> - so gaining equal and opposite momenta <br> nucleus carries away some k.e. from binding energy released <br> accept well labelled diagrams throughout for credit if integrated into the explanation |
| 41 | (b) | (i) | conservation of momentum | 1 | accept momentum before = momentum after = zero or equal magnitude opposite direction for two particles momenta |
| 41 | (b) | (ii) | $=m_{\text {Po }} V_{\mathrm{PO}^{2}}{ }^{2} / m_{\alpha} v_{\alpha}{ }^{2}=m_{\mathrm{Po}} m_{\alpha}{ }^{2} / m_{\alpha} m_{\mathrm{Po}^{2}}{ }^{2}=m_{\alpha} / m_{\mathrm{Po}}$ | 1 | mid step must be clear for mark |
| 41 | (b) | (iii) | $\begin{aligned} & =0.98(2) \\ 5.61 \mathrm{MeV} \times 0.982 & =5.5(1) \mathrm{MeV} \end{aligned}$ <br> value of $\alpha$ k.e. 5.5 MeV agrees at 2 S.F. level | $\begin{aligned} & 1 \\ & 1 \\ & 1 \end{aligned}$ | accept evaluation of energy or fractional energy allow nuclear fraction of total k.e. $=0.018$ or nuclear recoil k.e. $=0.10(1) \mathrm{MeV}$ <br> comparison of energy to actual value |
|  |  |  | Total Total section C Total sections B \& C | $\begin{aligned} & 11 \\ & 57 \\ & 80 \end{aligned}$ |  |

