

Question	Answer	Marks
1	D	1
2	C	1
3	C	1
4	Energy = $\frac{1}{2} \times 5 \text{ N} \times 0.09 \text{ m}$ = 0.2 J	1 1
5 a	Taking the gradient of the linear section of the graph $\frac{140\text{MPa} - 0\text{MPa}}{0.005}$ 280 000 MPa ($2.8 \times 10^{11} \text{ Pa}$)	1 1
5 b	The non-linear section shows plastic deformation.	1
6 a	Brittle material fracture with little plastic deformation and break into sharp fragments	1 1
6 b	Any reasonable example, for example: a wine glass	1
6 c	Any reasonable example of a material and a situation in which toughness is important, for example steel. In crumple zones.	1 1
7	Cross-sectional area of wire = $2.8 \times 10^{-6} \text{ m}^2$ Radius of wire = $9.44... \times 10^{-4} \text{ m}$ Diameter = $1.9 \times 10^{-3} \text{ m}$. Examiners will give full credit for correct final answer	1 1 1
8 a	The graph is a straight line through the origin.	1 1
8 b	Choosing a data pair from the graph for example 10.0 N, 1.1 mm $E = \frac{\sigma}{\epsilon} = \frac{FL}{xA} \Rightarrow A = \frac{FL}{xE} = \frac{10.0\text{N} \times 1.9\text{m}}{1.1 \times 10^{-3} \text{ m} \times 1.8 \times 10^{11} \text{ Nm}^{-2}} = 9.59 \times 10^{-8} \text{ m}^2$ Diameter = $2 \times \sqrt{\frac{A}{\pi}} = 3.5 \times 10^{-4} \text{ m}$ (2 s.f.)	1 1 1
8 c i	Yield stress is the stress at which plastic deformation begins. Breaking stress is the stress at which the material fractures (breaking stress is often referred to as fracture stress).	1 1
8 c ii	breaking stress = breaking force \div cross-sectional area $\frac{18.0\text{N}}{9.59 \times 10^{-8} \text{ m}^2} = 1.9 \times 10^8 \text{ Pa}$	1 1
8 c iii	Yield strength is important because, for example, a suspension bridge must not yield under its load. Yielding can be just as damaging and dangerous as breaking.	1
9 a i	% uncertainty of extension measurement = 6(.25)% % uncertainty of length measurement = 0.7 % The extension measurement gives the greatest % uncertainty.	1 1 1
9 a ii	The % uncertainty can be reduced by using a longer original length of band. The same absolute uncertainty will produce a smaller % uncertainty because the absolute value of extension will be greater for a given load when using a longer band.	1 1
9 b i	$E = \frac{\sigma}{\epsilon} = \frac{FL}{xA}$ Hence, choose the largest possible values for F and L , and the smallest possible values for x and A . Largest $F = 0.505 \text{ N}$	1

	Smallest $A = 3.88 \text{ mm}^{-2} = 3.88 \times 10^{-6} \text{ m}^2$ Largest $L = 0.146 \text{ m}$ Smallest $x = 0.0075$ Value of E from these values = $2.5(3) \times 10^6 \text{ Pa}$	1 1 1
9 b ii	percentage uncertainty = $\frac{2.5(3) \times 10^6 - 2.3 \times 10^6}{2.3 \times 10^6} = 10\%$	2
9 b iii	Ignoring the uncertainty in length in the calculation from i gives a result of $2.5(2) \times 10^6 \text{ Pa}$. This gives a percentage uncertainty of 9.6%, showing that the uncertainty in length contributes very little to the overall uncertainty.	1