

Question	Answer	Marks
1	C	1
2	A	1
3	Momentum of bullet = $mv = 3.0 \times 10^{-3} \text{ kg} \times 370 \text{ m s}^{-1} = 1.11 \text{ N s}$ Momentum is conserved, so momentum of rifle = -1.11 N s For rifle, $mv = -1.11 \text{ N s} = 3.2 \text{ kg} \times v$ so $v = \frac{-1.11 \text{ N s}}{3.2 \text{ kg}}$ $= -0.3469 \text{ m s}^{-1}$ so speed of recoil = $0.3469 \text{ m s}^{-1} = 0.35 \text{ m s}^{-1}$ (2 s.f.)	1 1 1
4 a	$F = \frac{\Delta p}{\Delta t} = \frac{(4.0 \text{ kg} \times 0.8 \text{ m s}^{-1} - 0)}{0.15 \text{ s}} = \frac{3.2 \text{ kg m s}^{-1}}{0.15 \text{ s}} = 21 \text{ N}$ (2 s.f.) (One mark for correct method, one for substituting correctly and evaluating the answer. This could also be done by calculating a and using $F = ma$.)	2
4 b	Kinetic energy of each mass before collision $= \frac{1}{2}mv^2 = 0.5 \times 4.0 \text{ kg} \times (0.8 \text{ m s}^{-1})^2 = 1.28 \text{ J}$ Masses are stationary after collision, so all kinetic energy is dissipated (mostly as heat) so energy dissipated = $2 \times 1.28 \text{ J} = 2.6 \text{ J}$ (2 s.f.) (One mark for correct method, one for substituting correctly and evaluating the answer.)	2
5 a	kinetic energy gained = potential energy lost $\frac{1}{2}mv^2 = mgh = 900 \text{ kg} \times 9.8 \text{ m s}^{-2} \times 60 \text{ m} = 529\,200 \text{ J}$ $v^2 = \frac{2 \times 529\,200 \text{ J}}{900 \text{ kg}} = 1176 \text{ m}^2 \text{ s}^{-2} \Rightarrow v = \sqrt{(1176 \text{ m}^2 \text{ s}^{-2})} = 34 \text{ m s}^{-1}$ (2 s.f.)	1 1 1
5 b	Some of the potential energy will be done as work against frictional forces.	1
6 a	$a = \frac{\Delta v}{\Delta t} = \frac{27 \text{ m s}^{-1}}{5.6 \text{ s}} = 4.821 \text{ m s}^{-2}$ $F = ma = 1100 \text{ kg} \times 4.821 \text{ m s}^{-2} = 5303 \text{ N} = 5300 \text{ N}$ (2 s.f.)	1 1
6 b	$P = Fv$ so mean power = force \times mean velocity velocity goes up uniformly from 0 to 27 m s^{-1} , so mean velocity $= \frac{1}{2} \times 27 \text{ m s}^{-1} = 13.5 \text{ m s}^{-1}$ $P = 5303 \text{ N} \times 13.5 \text{ m s}^{-1} = 71\,600 \text{ W} = 72\,000 \text{ W}$ (2 s.f.) (Can also use $P = \frac{\text{gain in kinetic energy}}{\text{time}}$ with one mark for method and one for evaluation)	1 1
7 a	For the particle, kinetic energy = $\frac{1}{2}mv^2 \Rightarrow v = \sqrt{\frac{2E_k}{m}}$ $= \sqrt{\frac{2 \times 8.0 \times 10^{-13}}{6.6 \times 10^{-27}}} = 1.5... \times 10^7 \text{ m s}^{-1}$ Momentum is conserved, so $m_1v_1 = m_2v_2 \Rightarrow v_1 = \frac{m_2v_2}{m_1} = 2.8... \times 10^5 \text{ m s}^{-1}$ kinetic energy of nucleus $= \frac{1}{2}mv^2 = 0.5 \times 3.6 \times 10^{-25} \text{ kg} \times (2.8... \times 10^5 \text{ m s}^{-1})^2 = 1.5 \times 10^{-14} \text{ J}$ (2 s.f.)	1 1 1 1
7 b	velocity of particle = $5.5... \times 10^7 \text{ m s}^{-1}$ (same method as part (a)) velocity of nucleus = $140.2... \text{ m s}^{-1}$ kinetic energy of nucleus = $3.5 \times 10^{-21} \text{ J}$ This is over a million times smaller than the kinetic energy found in part (a) (the emitted particle was significantly lighter and possessed smaller kinetic energy).	1 1 1 1

<p>8 a</p>	<p>Reading of 3.4 cm looks like an outlier, so test it by seeing if it is further than $2 \times$ spread of remaining data from the mean of the remaining data. Mean of remaining data = $\frac{(5.2 + 5.8 + 5.7 + 5.4 + 5.5) \text{ cm}}{5} = 5.52 \text{ cm}$ Spread of remaining data = $\frac{1}{2} \times \text{range} = \frac{(5.8 - 5.2) \text{ cm}}{2} = 0.3 \text{ cm}$ $5.52 \text{ cm} - 3.4 \text{ cm} = 2.12 \text{ cm} > 2 \times 0.3 \text{ cm} = 0.6 \text{ cm}$ so omit the outlier pending further investigation Round the uncertainty (= spread) to 1 s.f. and round the mean to the same number of decimal places, so depth = $5.5 \text{ cm} \pm 0.3 \text{ cm}$</p>	<p>1 1 1</p>								
<p>8 b</p>	<p>Point correctly plotted at (12 cm, 5.5 cm) Uncertainty bars of $\pm 0.3 \text{ cm}$ correctly added (error-carried forward: allow correct use of own values from part a)</p>	<p>1 1</p>								
<p>8 c</p>	<p>Reasonable best-fit straight line through all uncertainty bars drawn Does not go through (0,0) m (so not proportional)</p>	<p>1 1</p>								
<p>8 d</p>	<p>e.g.</p> <table border="1" data-bbox="376 770 1225 1055"> <thead> <tr> <th>suggestion</th> <th>explanation</th> </tr> </thead> <tbody> <tr> <td>Measured from bottom of rod</td> <td>Should have measured from centre to find loss in E_k of rod</td> </tr> <tr> <td>Measured to water level</td> <td>Should have measured to half the depth fallen as rod was still moving when it hit the water</td> </tr> <tr> <td>Ignored the effect of water</td> <td>Water will have exerted forces upwards on rod and dissipated energy</td> </tr> </tbody> </table>	suggestion	explanation	Measured from bottom of rod	Should have measured from centre to find loss in E_k of rod	Measured to water level	Should have measured to half the depth fallen as rod was still moving when it hit the water	Ignored the effect of water	Water will have exerted forces upwards on rod and dissipated energy	<p>1 mark for each correct suggestion 1 mark for each correct explanation (4 max)</p>
suggestion	explanation									
Measured from bottom of rod	Should have measured from centre to find loss in E_k of rod									
Measured to water level	Should have measured to half the depth fallen as rod was still moving when it hit the water									
Ignored the effect of water	Water will have exerted forces upwards on rod and dissipated energy									
<p>9 a</p>	<p>$\Delta(mv) = 0.059 \text{ kg} \times 50 \text{ m s}^{-1} + 0.059 \text{ kg} \times 37 \text{ m s}^{-1}$ $= 5.1 \text{ kg m s}^{-1}$ $F = \frac{\Delta(mv)}{t}$ $= 1500 \text{ N}$</p>	<p>1 1 1 1</p>								
<p>9 b</p>	<p>To fall, $s = \frac{1}{2} gt^2$ where $s = 1.2 \text{ m}$ Gives $t = 0.49 \text{ s}$ At 37 m s^{-1} this travels 18 m $18 \text{ m} + 3 \text{ m} < 23 \text{ m}$ so it's in</p>	<p>1 1 1 1</p>								
<p>9 d</p>	<p>If hit upwards, the vertical component of v will make the ball take longer to hit the ground. For angles which are not too steep, the horizontal component of v will be enough to take the ball 'out'. For greater angles, the horizontal component will be too small to take the ball 'out' and it will fall inside the playing area (a 'lob').</p>	<p>1 1 1</p>								