GCE

## Physics B (Advancing Physics)

Advanced Subsidiary GCE G492

## Mark Scheme for June 2010

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| Qn | Expected Answers | Marks | Additional guidance |
| :---: | :---: | :---: | :---: |
| 1 | (a) $\mathrm{J} \mathrm{s}^{-1}(1)$; <br> (b) $\mathrm{N} \mathrm{kg}^{-1}$ (1) | 2 |  |
| 2 | (a) $\mathrm{A}(1)$; <br> (b) $\mathrm{C}(1)$; <br> (c) B (1) | 3 |  |
| 3 | $\begin{aligned} f & =c / \lambda=3.0 \times 10^{8} \mathrm{~m} \mathrm{~s} \\ & =1.67 \times 10^{18} \mathrm{~Hz}(1) ; \\ E & =h f=6.6 \times 10^{-14} \mathrm{~J} \times 1.67 \times 10^{18} \mathrm{~Hz} \\ & =1.1 \times 10^{-15} \mathrm{~J} \text { (1)s.(1) } \mathrm{e} \end{aligned}$ | 3 | Can use $E=h c / \lambda$; quoting equation (1); $\&$ then (1)s (1) e If equation wrong (e.g. $E=h \lambda / c$ ) then no marks for Q3. No e.c.f allowed from incorrect frequency; |
| 4 | second box (phasors line up) (1); third box (slits closer together ) (1) | 2 | One for each correct tick. Cancel one mark for each extra tick. |
| 5 | (a) any antinode indicated (1) $\begin{aligned} \text { (b) } \lambda & =1.2 \mathrm{~m}(1) ; \\ f & =1 / 0.4 \mathrm{~s}=2.5 \mathrm{~Hz}(1) \end{aligned}$ | 1 2 |  |
| 6 | $\begin{aligned} \text { (a) } t & =(v-u) / a=27 \mathrm{~m} \mathrm{~s}^{-1} /\left(0.86 \times 9.8 \mathrm{~m} \mathrm{~s}^{2}\right) \\ & =3.2 \mathrm{~s}(1) \mathrm{m}(1) \mathrm{e} \end{aligned}$ <br> (b) $a=\left(v^{2}-u^{2}\right) / 2 s=\left(-\left[27 \mathrm{~m} \mathrm{~s}^{-1}\right]^{2}\right) /\left(2 \times 35 \mathrm{~m}=10.4 \mathrm{~m} \mathrm{~s}^{-2}\right.$ $F=m a=1600 \mathrm{~kg} \times 10.4 \mathrm{~m} \mathrm{~s}^{-2}=16700 \mathrm{~N}=17000 \mathrm{~N}$ (1)m (1)e | 2 2 | As $u$ is not specified, allow any calculation based on candidate's own value. <br> Sign unimportant. <br> Can calc $\Delta E_{k} / \mathrm{s}=583 \mathrm{~kJ} / 35 \mathrm{~m}=17 \mathrm{kN}$ |
| 7 | $\text { (a) } \begin{aligned} W & =F s=(110 \mathrm{~kg} \times 9.8 \mathrm{~m} \mathrm{~s}) \times 1.2 \mathrm{~m} \\ & =1290 \mathrm{~J} \approx 1300 \mathrm{~J}(1) \mathrm{m}(1) \mathrm{e} \end{aligned}$ $\begin{align*} & \text { (b) } s=30 \mathrm{~cm}-6 \mathrm{~cm}=24 \mathrm{~cm}(1) \\ & F=W / s=1300 \mathrm{~J} /\left(24 \times 10^{-2} \mathrm{~m}\right)=5420 \mathrm{~N}=5400 \mathrm{~N} \tag{1} \end{align*}$ | 2 2 | Must have evidence of calculation <br> $1^{\text {st }}$ mark is for $24 \mathrm{~cm} / 0.24 \mathrm{~m} / 24 \times 10^{-2} \mathrm{~m}$. Accept 24 without units. Second mark is for correct final answer Or via suvat ( $u=4.85 \mathrm{~m} \mathrm{~s}^{-1}, a=49 \mathrm{~m} \mathrm{~s}^{-2}$ ) \& $F=m a$. Allow answer which includes the weight of the barrel $\rightarrow 6500 \mathrm{~N}$. |
|  | Section A total: | 21 |  |


| Qn | Expected Answers | Marks | Additional guidance |
| :---: | :---: | :---: | :---: |
| 8 (a) | W and AR downwards and U upwards | 1 | Must be vertical: ignore lengths of arrows or points of application |
| (b) | (i) Needs to be moving (relative to air) (for there be be air resistance)(1) $\begin{aligned} & \text { (ii) } F=\left(0.0060 \mathrm{~kg}^{2} 9.8 \mathrm{~m} \mathrm{~s}^{-2}\right)-\left(0.0035 \mathrm{~kg} \times 9.8 \mathrm{~m} \mathrm{~s}^{-2}\right)(1) \\ & =0.0245 \mathrm{~N}(\approx 0.02 \mathrm{~N})(1) \end{aligned}$ | 1 2 | 'Balloon is at rest' is enough irrespective of any qualification. <br> Allow 0.024 N or 0.025 N (not just 0.02 N ) as evidence of evaluation |
| (c) | (i) identifying streamlining/ appropriate change in shape or size of balloon (1) Relating change to reduction in $F_{\mathrm{AR}}$ (at constant $v$ ) (1) <br> (ii) Gradient dropping: resultant force drops (producing smaller acceleration) due to increased air resistance (1); <br> Horizontal line: $F_{A R}=U-W(1)$ <br> (iii) $k v=0.016 \mathrm{~N} \mathrm{~s} \mathrm{~m}^{-1} \times 1.5 \mathrm{~m} \mathrm{~s}^{-1}=0.024 \mathrm{~N}$ (1) <br> Comparison with answer to (b)(ii) (1) | 2 2 2 | QWC: maximum 1 mark if terms not correctly used or spelled. <br> Answer must explain in terms of the forces involved; 'air resistance increases' is enough <br> 'Resultant force $=0$ ' owtte is enough here. Reference to 'terminal velocity' is neutral. <br> If reverse argument is used, needs to start with $F$ from (b)(ii) (second marking point), and then calculate $k$ close to $0.016 \mathrm{~N} \mathrm{~s} \mathrm{~m}^{-1}$ for the first marking point. |
|  | Total: | 10 |  |


| Qn | Expected Answers | Marks | Additional guidance |
| :---: | :---: | :---: | :---: |
| 9 (a) | $\begin{aligned} & \text { (i) } \sin (\theta)=n \lambda d=1 \times 700 \times 10^{-9} \mathrm{~m} / 1.3 \times 10^{-6} \mathrm{~m}=0.54 \\ & \theta=33^{\circ}(1) \mathrm{m}(1) \mathrm{e} \\ & \text { (ii) smaller } \theta \text { (1) } \\ & \lambda=d \sin \theta \text {, so (for the same } \lambda \text { ) } d \uparrow(\Rightarrow \sin \theta \downarrow) \Rightarrow \theta \downarrow \text { (1) } \end{aligned}$ | 2 2 | ora: $d \sin \left(30^{\circ}\right)=650 \mathrm{~nm} \approx 700 \mathrm{~nm}(1) \mathrm{m}(1) \mathrm{e}$ <br> (1) for smaller $\theta$ <br> (1) for explanation linked to equation which may be implied. |
| (b) | (i) $2 \lambda=d \sin \left(90^{\circ}\right)=1.3 \times 10^{-6} \mathrm{~m} \times 1$ $\Rightarrow \lambda=6.50 \times 10^{-7} \mathrm{~m} \quad(1) \mathrm{m}(1) \mathrm{e} \text {; }$ <br> (ii) $700 \mathrm{~nm}>$ value calculated in (i) (1) Would result in $\theta>90^{\circ}$, which is not possible (1) | $2$ $2$ | Zero marks if $\mathrm{n}=2$ not used <br> Calculating $\sin \theta=1.09$ (1) <br> So no solution for $\theta$ possible (1) <br> Accept well-reasoned approach based on path differences |
| (c) | destructive interference occurs in this region (1); <br> for all visible wavelengths (1)/ <br> $\lambda$ in this region must be either infrared (first order) or ultraviolet (second order)(1); <br> neither is visible/present in the incident light (1) | 2 | 'no visible wavelengths give solutions to $\mathrm{n} \lambda=d \sin (\theta)$ in that region' gets both marks |
|  | Total: | 10 |  |


| Qn | Expected Answers | Marks | Additional guidance |
| :---: | :---: | :---: | :---: |
| 10 (a) | Transverse: oscillations/vibrations in direction perpendicular to direction of movement of wave (1); <br> Longitudinal: oscillations/vibrations in direction parallel to direction of movement of wave (1) | 2 | (1) for linking transverse to oscillations perpendicular (to direction of wave motion), (1) for linking longitudinal to oscillations parallel (to direction of wave motion) <br> Marks can be given for clear diagrams |
| (b) | (i) time of travel of $P$-waves is $t_{P}=D \div v_{P} /$ that of $S$-waves is $\begin{align*} & t_{\mathrm{S}}=D \div v_{\mathrm{S}}(1) \\ & \quad \Delta t=t_{\mathrm{s}}-t_{\mathrm{p}}=\frac{D}{v_{\mathrm{s}}}-\frac{D}{v_{\mathrm{p}}}\left(=D\left(\frac{1}{v_{\mathrm{s}}}-\frac{1}{v_{\mathrm{p}}}\right)\right) \tag{1} \end{align*}$ $\text { (ii) } \begin{aligned} & \Delta t=50 \mathrm{~s}(1) ; \\ & D=\Delta t /\left(1 / v_{\mathrm{s}}-1 / v_{\mathrm{P}}\right)=50 \mathrm{~s} /\left(1 / 3500 \mathrm{~m} \mathrm{~s}^{-1}-1 / 8000 \mathrm{~m} \mathrm{~s}^{-1}\right) \\ &=50 \mathrm{~s} /\left(1.6 \times 10^{-4} \mathrm{~s} \mathrm{~m}^{-1}\right)=310000 \mathrm{~m} \quad(1) \mathrm{s}(1) \mathrm{e} \end{aligned}$ | 2 3 | First mark is for a correct application of $v / D / t$ to either wave $\pm 2 \mathrm{~s} ; 48 \mathrm{~s} \Rightarrow 299000 \mathrm{~m}, 52 \mathrm{~s} \Rightarrow 325000 \mathrm{~m}$ <br> For e.c.f., $D=\Delta t /\left(1.6 \times 10^{-4} \mathrm{~s} \mathrm{~m}^{-1}\right)$ <br> Correct substitution of $v_{\mathrm{s}}$ and $v_{\mathrm{p}}$ gets the (1)s This can be inferred <br> from e.g. $\left(1.6 \times 10^{-4} \mathrm{~s} \mathrm{~m}^{-1}\right)$ |
| (c) | $\begin{aligned} & \text { Correct amplitudes identified }(1) \\ & \text { ratio of amplitudes }=285 / 105 \approx 2.67 \\ & 2.67^{2}=7.11 \approx 7(1) \end{aligned}$ | 2 | Allow amplitudes of $250-300$ and $80-120 \mathrm{~mm}$ Allow peak-to-peak values instead of amplitudes Accept ratio in format 13:2 etc. ecf incorrect amplitudes and rounding before squaring Give the first mark if you can see the two amplitudes or peak-topeak values. <br> Ignore units in final answer. |
| (d) | log scale allows great range of values owtte to be registered in a smaller range of numbers (1) | 1 |  |
|  | Total: | 10 |  |


| Qn | Expected Answers | Marks | Additional guidance |
| :---: | :---: | :---: | :---: |
| 11(a) | Scale drawing: right-angled triangle with angle $30^{\circ}$ (1); hypotenuse 1000 N (1); adjacent side 900 N (1) <br> Calculation: $F_{\mathrm{H}}=T \cos (\theta)(1)$; $=1000 \mathrm{~N} \times \cos \left(30^{\circ}\right)(1)=870 \mathrm{~N} \approx 900 \mathrm{~N}(1)$ | 3 | Remember that correct answer with no working gets full marks, so 866 N = 3 marks |
| (b) | (i) Vertical component of tension $=1000 \mathrm{~N} \sin \left(30^{\circ}\right)=500 \mathrm{~N}$ <br> (1) <br> Minimum mass of kitesurfer $=500 \mathrm{~N} / 9.8 \mathrm{~N}=51 \mathrm{~kg}$ (1) <br> (ii) Suggesting a factor with relationship to kite size (wind speed or speed/skill/activity of surfer) (1) <br> Stating the direction of the effect and explaining the relationship (1) | 2 2 | Can be done by scale drawing, possibly from (a). <br> If 'mass' and 'weight' are not properly distinguished, this mark is not awarded. Can be implicit in calculation. <br> Need not specify direction of effect, e.g. 'You need different sized kites in different wind speeds' or 'You need a different kite for speed surfing from that for acrobatics' is OK <br> E.g. 'In faster winds, you will need a smaller kite or you will go too fast/be lifted off the water' |
| (c) | Horizontal (component of) force from kite $=$ (horizontal) force from water on board (1); <br> and in opposite direction (1) | 2 | Ignore reference to vertical components. Ignore attribution of horizontal force from water to e.g. resistance, friction, component of normal reaction <br> 'horizontal forces in equilibrium' will gain this mark, 'forces in equilibrium' will not. |
|  | Total: | 9 |  |
|  | Section B total: | 39 |  |


| Qn | Expected Answers | Marks | Additional guidance |
| :---: | :---: | :---: | :---: |
| 12 (a) | (i) Any two points from: <br> Correct reference to spread/range of data excluding potential outlier (1); <br> Visible gap between outlier and rest of data (1) <br> Attempt to quantify separation of outlier from mean/minimum of remaining data in terms of spread (1) <br> (ii) Suggestion should make it clear that wire has been damaged in some way, e.g. narrowed by twisting (1). | 2 1 | accept reference to standard deviation or interquartile range, etc <br> e.g. 'is very much lower than the others' 'greater than twice the spread from the mean' gets both marks. 'weakened' is enough |
| (b) | Uncertainty $=1 \mathrm{~N}$ (1) <br> Rounding force to $\pm 1 \mathrm{~N}=9 \mathrm{~N}$ (1) | 2 | Must be 1 s.f. <br> $9.1 \pm 1 \mathrm{~N}$ would get the first marking point but not the second |
| (c) | (i) \%age uncertainty $=0.005 \mathrm{~mm} \times 100 / 0.38 \mathrm{~mm}$ $=1.3 \%=1 \%(1) \mathrm{m}(1) \mathrm{e}$ <br> (ii) \%age uncertainty in $d$. \% \%age uncertainty in $F$ | $1$ | Expect 1 s.f. allow 2; for $>2$ s.f. maximum mark $=1$ <br> Must compare $d$ with $F$ (may use fractional uncertainties) |
| (d) | $\begin{aligned} & \text { mean stress }=9 \mathrm{~N} / 1.1 \times 10^{-7} \mathrm{~m}^{2}=8.2 \times 10^{7} \mathrm{~Pa}(1) \mathrm{m}(1) \mathrm{e} \\ & \text { repeat with uncertainty }=1 \mathrm{~N} / 1.1 \times 10^{-7} \mathrm{~m}^{2}=1.0 \times 10^{7} \mathrm{~Pa}(1) \\ & \text { e.c.f for both calculations from part }(\mathrm{b}) \end{aligned}$ | 3 | Need to use candidate's values from (b) here. <br> Can do via: <br> Max stress $=(9+1) \mathrm{N} / 1.1 \times 10^{-7} \mathrm{~m}^{2}=9.1 \times 10^{7} \mathrm{~Pa}$ and/or <br> Min stress $=(9-1) \mathrm{N} / 1.1 \times 10^{-7} \mathrm{~m}^{2}=7.3 \times 10^{7} \mathrm{~Pa}$ <br> To obtain e.g uncertainty $=(\max -$ mean $)=1 \times 10^{7} \mathrm{~Pa}(1)$ <br> Can be found from e.g. $1 / 9$ or $11 \%$ of mean <br> ignore s.f. errors in both mean and uncertainty. |
|  | Total: | 11 |  |


| Qn | Expected Answers | Marks | Additional guidance |
| :---: | :---: | :---: | :---: |
| 13 (a) | (i) Curve + interpolation to give $h$ between 28 \& 29 m (1) <br> (ii) Use of gradient at start or data points for $0 \& 0.5 \mathrm{~s}$ (1) gradient $\approx 15 \mathrm{~m} / 0.5 \mathrm{~s}=30 \mathrm{~m} \mathrm{~s}^{-1} /$ data points give $25 \mathrm{~m} \mathrm{~s}^{-1}$ (1) <br> (iii) gradient decreasing (continually) during ascent (1); negative gradient increasing during descent (1) | 1 2 2 | Consistent with candidate's curve. <br> Gradient triangle must have base of at least $\geq 0.2 \mathrm{~s}$. <br> Consistent with candidate's own tangent <br> Accept use of $v^{2}=u^{2}+2$ as with $s=$ answer to (a)(i) and $a=-9.8 \mathrm{~m} \mathrm{~s}^{-2}$ to give $u$ about $23.4 \mathrm{~m} \mathrm{~s}^{-1}$ <br> Must refer to both ascent and descent: can refer to both parts as a single motion if clear, e.g. 'gradient decreases from positive to zero to negative' |
| (b) | (i) $v^{2}=u^{2}+2$ as with $v=0$ (1) $0=25^{2}+2 \times(-9.8) \times s \Rightarrow s=625 / 19.6=32 \mathrm{~m}(1) \mathrm{s}(1) \mathrm{e}$ <br> Ignore errors in allocating - sign to $g$ or $u \& s$ in the use of this equation: just look for 31.9 m <br> (ii) Air resistance/drag (1); <br> provided decelerating force/reduced velocity//dissipated energy <br> (1) | 3 2 | Or $v=u+a t \Rightarrow t=2.55 \mathrm{~s}$ (1) followed by $s=u t+1 / 2 a t^{2}(1) \mathrm{m}$ (1)e If $t=2.75 \mathrm{~s}$ taken from graph, first mark is not given but can then get the remaining two marks. <br> Reverse argument from $s=30 \mathrm{~m}$ to calculate $u$ is OK. <br> any mention of air resistance is enough for this first mark. Second mark needs a clear and correct explanation. |
| (c) | (i) Force from wind is horizontal (1); need vertical force from wind to affect height reached (1) horizontal and vertical motion are independent (1) <br> (ii) Time of flight $=2 \times$ time to highest point $=2 \times 2.75 \mathrm{~s}(1)$; <br> speed of wind $=37 \mathrm{~m} / 5.5 \mathrm{~s}=6.7 \mathrm{~m} \mathrm{~s}^{-1}(1)$ | 2 2 | Any two points. <br> check with 13(a)(i) if different from 2.75 s <br> If time not doubled give zero marks unless total time of flight $=4.0$ s from graph (e.g. landed on a roof). $37 \mathrm{~m} / 4.0 \mathrm{~s}=9.25 \mathrm{~m} \mathrm{~s}^{-1}$ |
|  | Total: | 14 |  |

\begin{tabular}{|c|c|c|c|}
\hline Qn \& Expected Answers \& Marks \& Additional guidance \\
\hline 14 (a) \& \begin{tabular}{l}
(i) Best-fit curve (1); stopping p.d. from graph (1) \\
(ii) correct plotting (2); \\
best-fit line (1); gradient: \(3.5 \mathrm{~V} / 8.5 \times 10^{14} \mathrm{~Hz}\) (1) \(\mathrm{m}=4.1 \times 10^{-15} \mathrm{~V} \mathrm{~Hz}^{-1}\) (1)e \\
(iii) \(h=e \times\) gradient \(=1.6 \times 10^{-19} \times 4.1 \times 10^{-15}=6.6 \times 10^{-34} \mathrm{~J} \mathrm{~s}(1)\)
\end{tabular} \& 2
5

1 \& | Not straight line; should be through/close to points. Curve must reach the p.d. axis for second mark and be consistent with candidate's graph. Expect values about 1.32 V . |
| :--- |
| All 3 points in tolerance $=(2) ; 2$ correct $=(1)$ (overlay on scoris). If point in blue overlay box is incorrect, check candidate's value in(a)(i). Point on edge of overlay tolerance box is in. |
| Line in tolerance by eye |
| e.c.f. own line; can use any data points for calculation as all are close to line. |
| Max 1 mark for gradient calculation if $10^{14}$ not included correctly OR $4 \times 10^{14}$ on $x$-axis read as 0 . |
| No marks awarded if both errors made. |
| e.c.f. own gradient. |
| Must show evidence of working for answer of $6.6 \times 10^{-34}$. |
| Watch for incorrect gradient giving correct $h$ by fiddling $=0$ marks. | <br>

\hline (b) \& | $\begin{aligned} & \text { (i) uncertainty in } h=(0.5 / 100) \times 6.57 \times 10^{-34} \mathrm{~J} \mathrm{~s} \\ & =3 \times 10^{-36} \mathrm{~J} \mathrm{~s}(1) \\ & h_{\text {max }}=6.57 \times 10^{-34}+3 \times 10^{-36} \mathrm{~J} \mathrm{~s}=6.60 \times 10^{-34} \mathrm{~J} \mathrm{~s}(1) \end{aligned}$ |
| :--- |
| (ii) Millikan's (maximum) value < (minimum) accepted value/ ranges do not overlap owtte (1) suggested incorrect variable (i.e. $V$, $f$ or e) (1); suggested reason for error (can be generic, e.g. incorrect calibration of instrument involved) (1). | \& 2

3 \& | Or $6.57 \times 10^{-34} \mathrm{~J} \mathrm{~s} \times 1.005=6.60 \times 10^{-34} \mathrm{~J} \mathrm{~s}(1) \mathrm{m}(1) \mathrm{e}$ |
| :--- |
| QWC is third mark, for 'organise information clearly and coherently'. | <br>

\hline (c) \& Established theories had worked well (1); idea was too different from accepted theory(1); insufficient experimental support for new theory (1) \& 2 \& Any two points. <br>
\hline \& Total: \& 15 \& <br>
\hline \& Section C total: \& 40 \& <br>
\hline
\end{tabular}

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